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#### 13. SUPPLEMENTARY NOTES

Viewgraph for the 52nd AIAA Aerospace Sciences Meeting, National Harbour, MD, 13 January 2013

#### 14. ABSTRACT

Combustion instability in liquid rocket engines can have severe consequences including degraded performance, accelerated component wear, and potentially catastrophic failure. High-frequency instabilities, which are generally the most harmful in liquid rocket engines, can be driven by interactions between disturbances associated with transverse acoustic resonances and the combustion process. The combustion response to acoustic perturbation is a critical component of the instability mechanism, and is in general not well understood. The current paper describes an experimental facility at the Air Force Research Laboratory (AFRL) at Edwards Air Force Base that is intended to investigate the coupling between transverse acoustic resonances and single/multiple liquid rocket engine injector flames. Critical aspects of the facility will be described, including the capability to operate at supercritical pressures that are relevant to high-performance liquid rocket engines, accurately-controlled and cryogenically-conditioned propellants, and optical access to facilitate the use of advanced diagnostics. The transverse acoustic resonance is induced through the use of carefully-controlled piezo-sirens, allowing monochromatic excitation across a range of amplitudes at a number of discrete frequencies. The location of the flame within the acoustic resonance mode shape can also be varied through relative phase control of the two acoustic sources. The operating space of the facility, for oxygen and hydrogen operation, will be described. Preliminary non-reacting and reacting data will also be presented to demonstrate the quality of operation of this facility. It is anticipated that future results generated using this facility will provide both fundamental insight into the acoustic-flame interactions as well as provide a database useful for validating combustion instability models.

#### 15. SUBJECT TERMS

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# Development of a Facility for Combustion Stability Experiments at Supercritical Pressure

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Combustion Devices Branch - Combustion Stability Group
Edwards AFB, California

Supported by Air Force Office Scientific Research Air Force Research Laboratory

#### Overview

- Background
  - Combustion Instability
  - Challenges
- Experimental Techniques
  - Facility
    - Heat Exchangers
    - Acoustic Excitation System
    - Injector
  - Proper Orthogonal Decomposition of High-speed Images
- Preliminary Results

• Liquid Rocket Engine Combustion Instability

#### **Motivation**

-An organized, oscillatory motion in the combustion chamber sustained by combustion

–Chamber pressure amplitudes p ' can exceed 100% of the mean chamber pressure  $p_c$ 

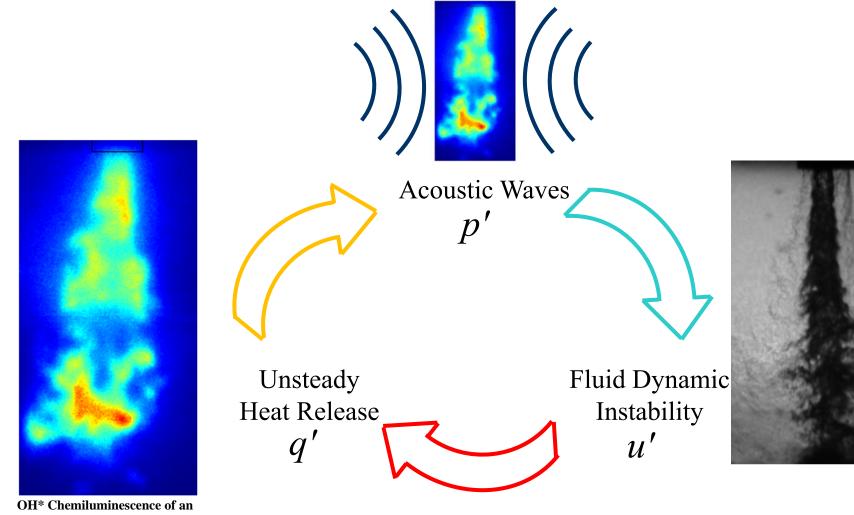
-Most difficult instabilities to eliminate: high frequency (a.k.a. "screaming" instability)





#### Irreparable damage can occur in < 1s

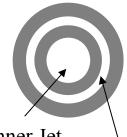
Combustion Instability Feedback Loop



 $H_2/O_2$  flame (from present reactive experiments)

Reactive

Coaxial Injector Cross-sectional View



Inner Jet (oxidizer) Outer Jet (fuel)

Density Ratio

$$S = \rho_{\rm oj}/\rho_{\rm ij}$$

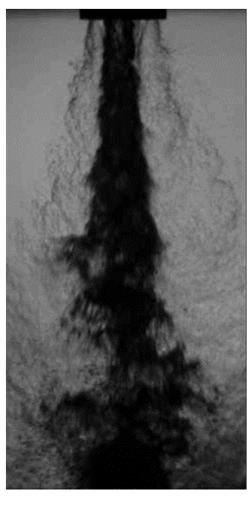
Velocity Ratio

$$R = u_{\rm oj}/u_{\rm ij}$$

Momentum Flux Ratio

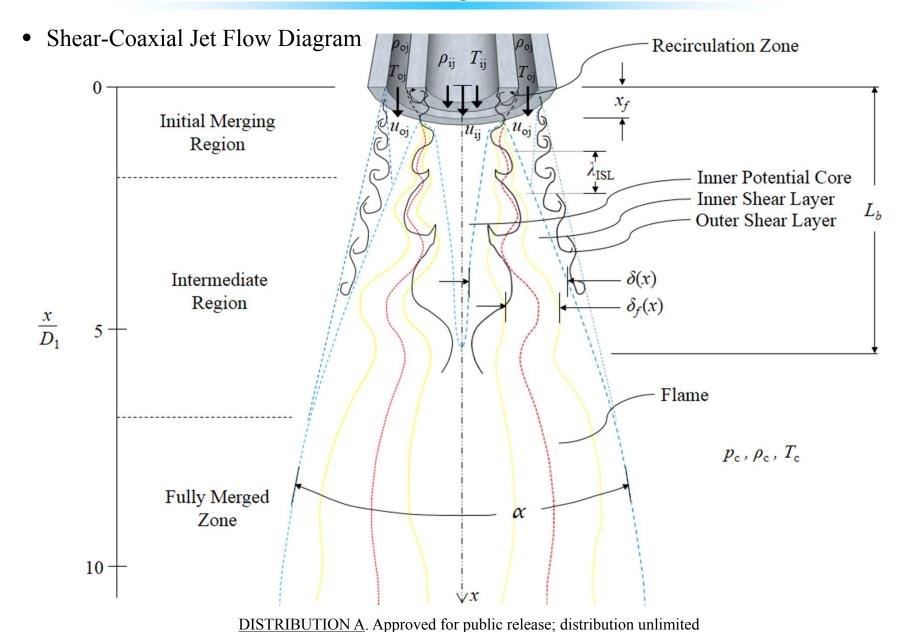
$$J = SR^2$$

Nonreactive



OH\* Chemiluminescence Coaxial O<sub>2</sub>-H<sub>2</sub> Flame  $p_c = 400 \text{ psia}$ 

Back-lit Imaging Coaxial LN<sub>2</sub>-GHe Jet  $p_c = 400$  psia

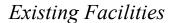


# Background: Challenges Associated with Combustion Stability Experimental Facilities

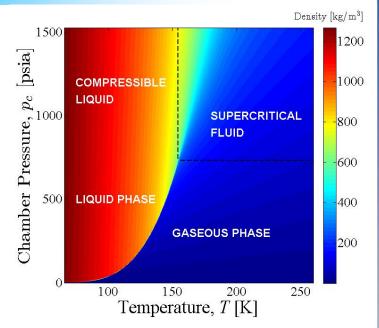
- Supercritical Chamber Pressure
  - Liquid rocket engines (LREs) often employ chamber pressures greater than the critical pressure of oxygen

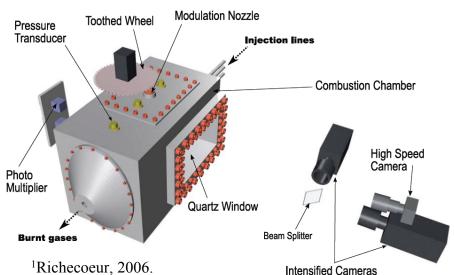
$$p_{\rm c} > 731 \; {\rm psia}$$

- Surface tension and phase changes are undefined
- High Amplitude Acoustic Perturbations
  - Severe LRE combustion instabilities involve pressure amplitudes far greater than those of traditional acoustic excitation systems ( $p' \sim p_c$ )
- Imaging Diagnostics
  - High-speed (>10 kHz) optical equipment is required to capture unsteady heat release via chemiluminescence and planar laser induced fluorescence (PLIF)
  - Windows must endure large changes in temperature as well as high chamber pressures



DLR (Germany) CNRS (France)
Purdue Univ. Penn. State Univ.

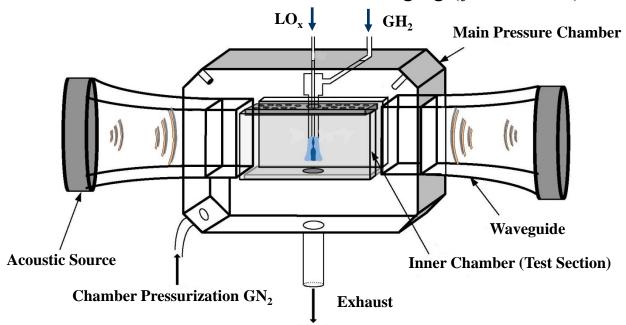


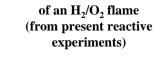


- Capabilities
- Cryogenic propellant temperature control with high accuracy (±1 K)
- Sub- and super-critical chamber pressure ( $p_c$  up to 10.4 MPa)
- High amplitude acoustic forcing  $(p'/p_c \sim 0.02)$
- Coaxial injector with extended length for fully developed turbulent flow
- High speed diagnostic tools

Pressure transducer(s) natural frequency > 100 kHz

Time-series OH\* chemiluminescence imaging (f > 10 kHz)





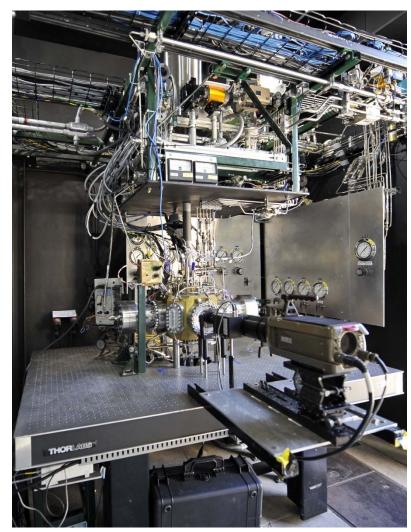
**OH\*** Chemiluminescence

#### AFTER

#### **BEFORE**



2011



2013

#### **BEFORE**



2011



#### **AFTER**

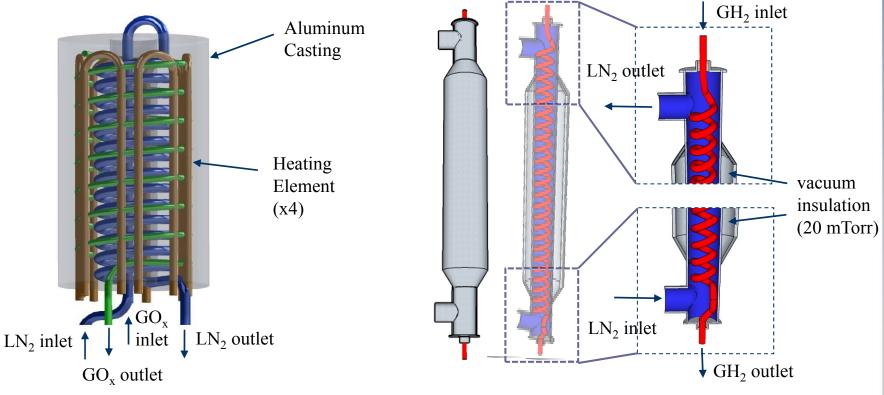


2013



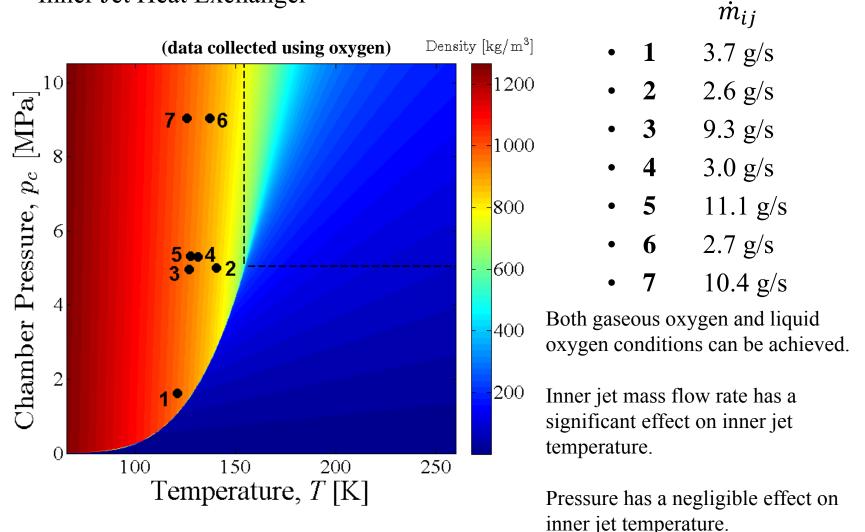
#### Experimental Techniques: Heat Exchangers

- Heat Exchanger Design Objectives
  - Achieve inner and outer jet temperatures,  $T_{ij}$  and  $T_{oj}$ , which are similar to the propellant temperatures of a liquid rocket engine
  - Minimize: temperature control error, coolant flow rate, user interaction



### Experimental Techniques: Heat Exchangers

Inner Jet Heat Exchanger

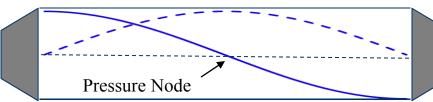


• Objective: To create an acoustic field with a **transverse standing wave**.

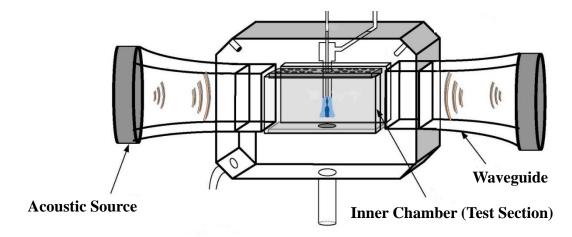
Velocity Node: 
$$L = n\lambda = n\frac{c}{f_n}$$
 Pressure Node:  $L = \left(\frac{2n+1}{2}\right)\lambda = \left(\frac{2n+1}{2}\right)\frac{c}{f_n}$ 

$$\phi = 0^{\circ}$$

$$L = \frac{c}{2f_0}$$



$$\phi = 180^{\circ}$$



**Transverse Direction** 

Longitudinal Direction

- Acoustic Waveguide Design
  - Objectives
    - Minimize: two- and three-dimensional waves
    - Maximize: pressure amplitude
  - Derivation of area relation
    - Webster's horn equation

$$\frac{1}{A}\frac{\partial}{\partial y}\left(A\frac{\partial p}{\partial y}\right) - \frac{1}{c^2}\frac{\partial^2 p}{\partial t^2} = 0$$

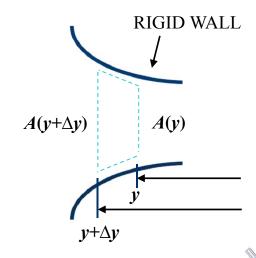
• General solution for area

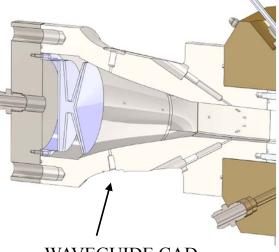
$$A^{1/2} = A_{th}^{1/2}(\cosh my + T \sinh my)$$

where 
$$A = A_{th}(\cosh my)^2$$
 and  $A_{th}^{1/2}Tm = \frac{\partial (A^{1/2})}{\partial y}(y=0)$ 

• Particular solution for the catenoidal horn (T = 0)

\* 
$$A = A_{th}(\cosh my)^2$$

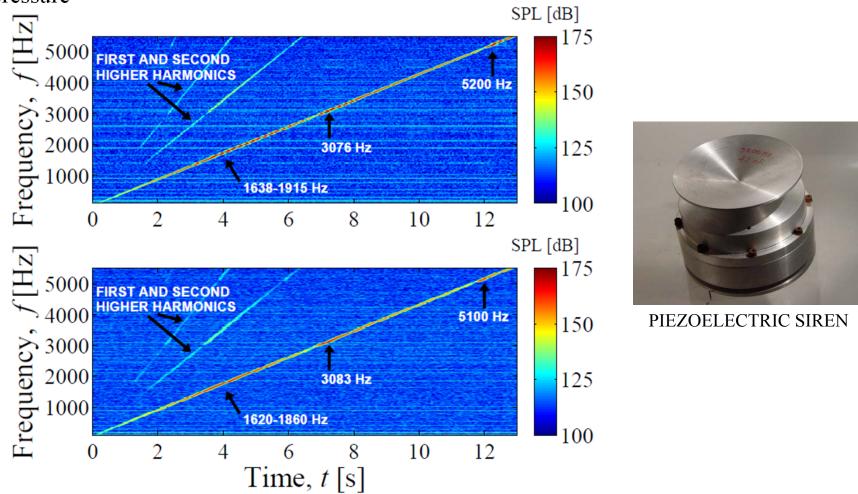




WAVEGUIDE CAD CROSS-SECTION

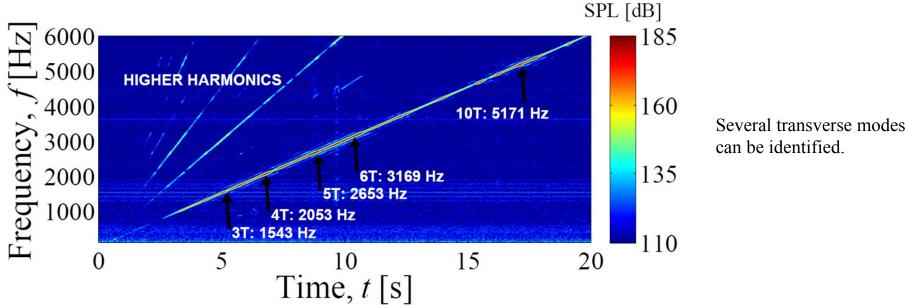
<sup>&</sup>lt;sup>2</sup> Pierce, A. D., <u>Acoustics: An Introduction to Its Physical Principles and Applications</u>, 2<sup>nd</sup> Edition, 360-363, 1991.

• Acoustic Characterization: Piezoelectric sirens placed *outside* of the chamber at ambient pressure



Each siren has a unique frequency response, with 3 peak frequency bands.

• Acoustic Characterization: Piezoelectric sirens operated in-phase at  $p_c = 400$  psia



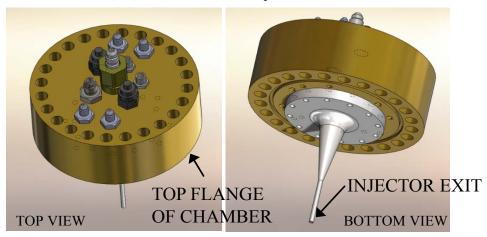
- Conclusions
  - An array of transverse modes will produce high amplitudes (3T, 4T, 5T, 6T, 10T modes).
  - Operating at other frequencies produces either low amplitudes, or undesired resonance, e.g. longitudinal resonance.
  - Peak frequency values are dependent on chamber pressure and temperature
  - → Standing waves must be verified prior to each individual experimental test.

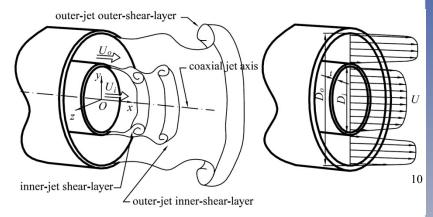
#### Experimental Techniques: Injector

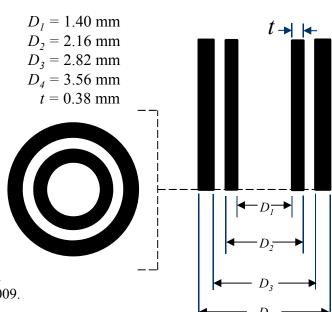
Objective: create a LO<sub>x</sub>/GH<sub>2</sub> injector which provides fully turbulent exit flow

#### Challenges

- Materials
- Robust separation between GH<sub>2</sub> and LO<sub>x</sub>
- Large injector length (  $l_e/D \ge 4.4 \text{Re}^{1/6}$  for fully developed turbulent flow<sup>9</sup>)
- Small cross sectional size
- Rigidity
- Manufacturability







<sup>&</sup>lt;sup>3</sup> Munson, B. R., Young, D. F., Okiishi, T. H., <u>Fundamental Fluid Mechanics</u>, 5th Edition, 2005.

<sup>&</sup>lt;sup>4</sup> Burattini, P. and Talamelli, A., "Acoustic control of a coaxial jet," J. of Turbulence, 8, 1-14, 2009.

### Experimental Techniques: Image Analysis

- Proper Orthogonal Decomposition
  - For a set of high-speed images,

$$A = \sum_{k=1}^{N} q_k(t) \varphi_k(x)$$

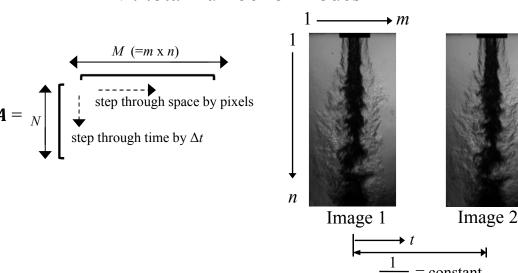
**A**: pixel intensity data matrix

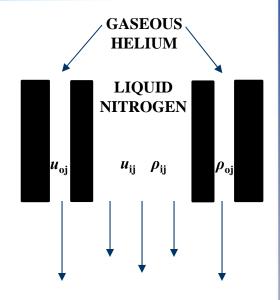
 $q_k$ : vectors of temporal amplitude coefficients

 $\varphi_k$ : vectors of proper orthogonal modes

*k* : mode number

N: total number of modes





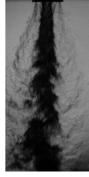


Image N

### Experimental Techniques: Image Analysis

- Proper Orthogonal Decomposition
  - To identify periodic structures, subtract the average image

$$\widetilde{A}_{ij} = A_{ij} - \frac{1}{N} \sum_{i} A_{ij} \qquad i = 1...N, \quad j = 1...M$$

$$\widetilde{A} : \text{matrix of intensity fluctuations}$$
• Singular Value Decomposition (SVD) of  $\widetilde{A}$ 

$$\widetilde{A} = \overline{U} \sum_{i} V^{T}$$
equivalent to  $q_{k}(t)$ 

$$\widetilde{A}_{ij} = A_{ij} - \frac{1}{N} \sum_{i} A_{ij} \qquad i = 1...N, \quad j = 1...M$$

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$$\widetilde{A}_{ij} = A_{ij} - \frac{1}{N} \sum_{i} A_{ij}$$

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 $10^3$ 

 $10^{4}$ 

 $10^2$ 

Mode

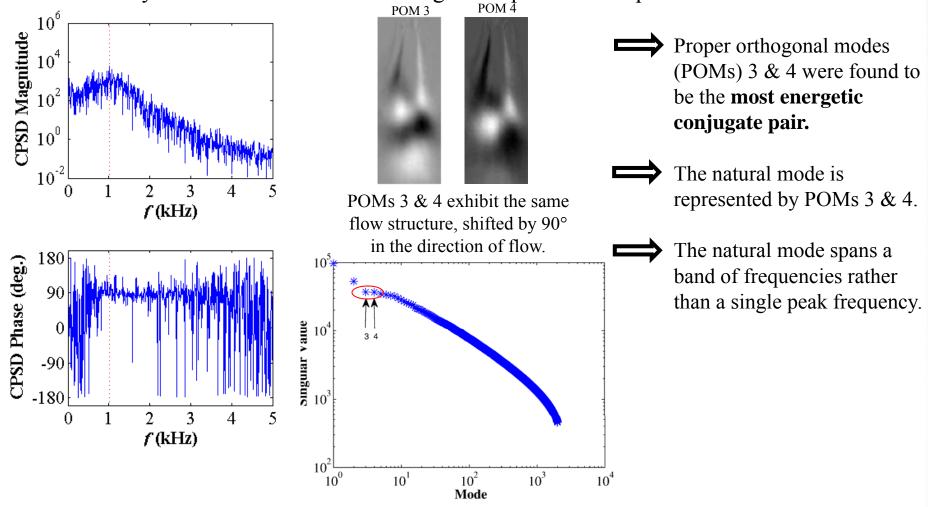
10<sup>1</sup>

 $10^{0}$ 

#### Experimental Techniques: Image Analysis

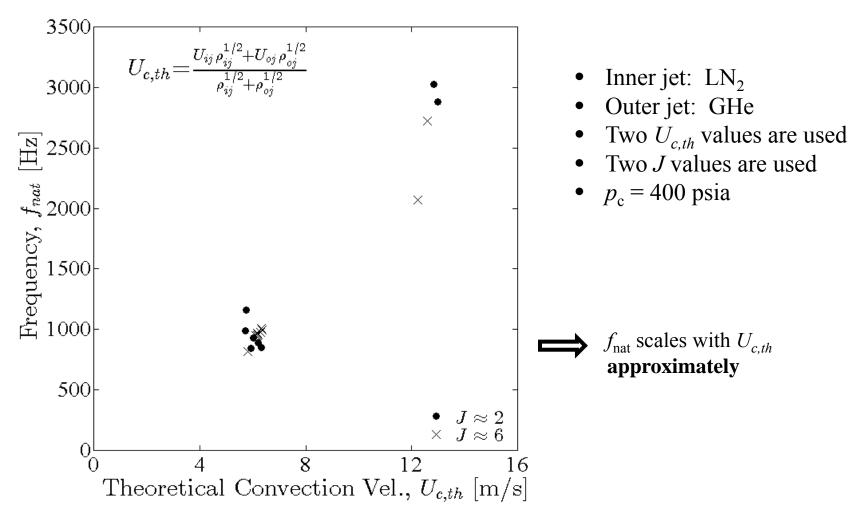
Proper Orthogonal Decomposition

• To identify traveling, coherent structures, a conjugate mode pair is identified as any two modes whose CPSD magnitude peaks near a phase of  $\pm 90^{\circ}.5$ 



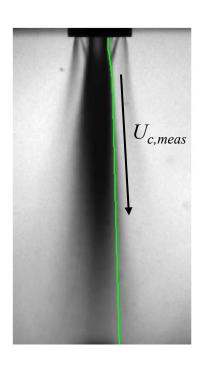
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• Natural Jet Characterization:  $f_{\text{nat}}$  values determined by POD

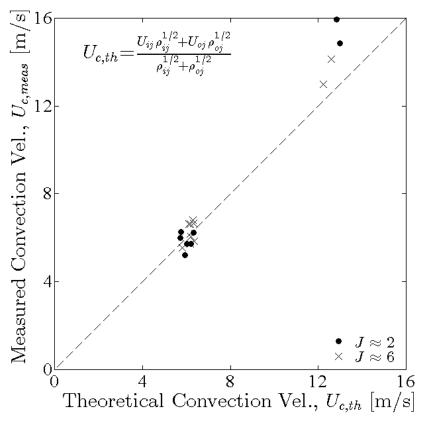


<sup>&</sup>lt;sup>6</sup> Dimotakis, P. E. 1986 "Two-Dimensional Shear-Layer Entrainment," AIAA J. 24, 1791-1796.

• High-speed images were used to **experimentally measure** the shear layer convection velocity



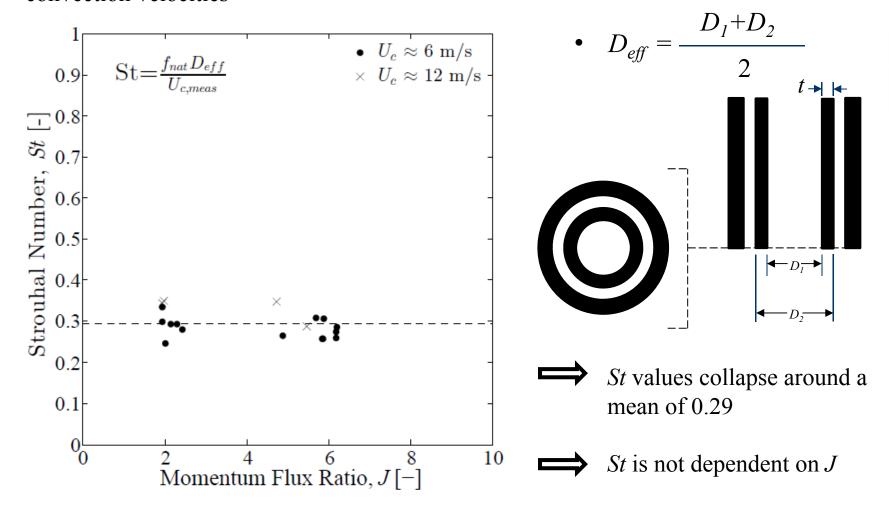
$$U_{c,meas} = \frac{\Delta s}{\Delta t}$$



 $\longrightarrow U_{c,th}$  accurately predicts convection velocities near 6 m/s

 $\longrightarrow U_{c,th}$  under-predicts higher convection velocities

• Natural Jet Characterization: *St* scaling law produced by **experimental** shear layer convection velocities



#### Future Work

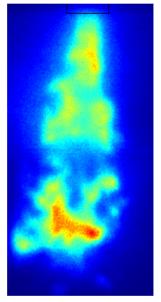
- Nonreactive Experiments
  - Explore susceptibility of jets to acoustic forcing with regard to:
    - Nondimensional Forcing Frequency  $F = f_F / f_{\text{nat}}$
    - Acoustic pressure amplitude p'
    - Momentum Flux Ratio J
    - Injector Geometry  $AR = A_{oj}/A_{ij}$
  - Explore the existence of convectively unstable and absolutely unstable coaxial jets



- Characterize the spectral content of natural flame instabilities
- Explore hydrogen and hydrocarbon fuels
- Explore variations in injector geometry, including gas-centered swirl-coaxial injectors



Non-reactive



Reactive

## Summary

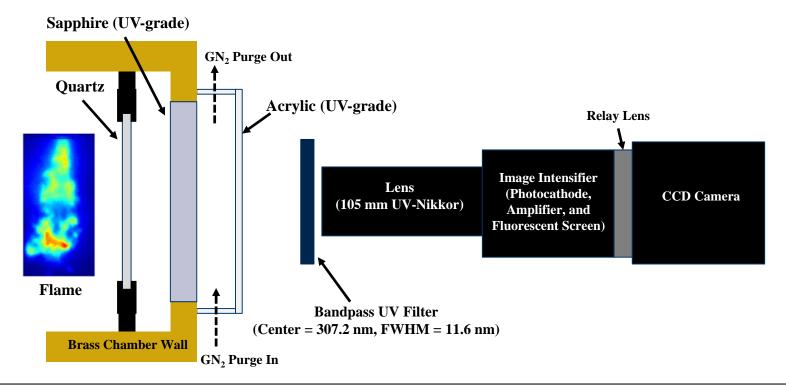
- A facility for combustion stability experiments was constructed to allow for chamber pressures up to 1500 psi and acoustic pressure amplitudes greater than 2% of the mean chamber pressure.
- Cryogenic heat exchangers were characterized as an effective technique to control the temperature of both oxygen and hydrogen at the injector.
- A shear-coaxial injector was designed and fabricated to produce fully developed turbulence at the exit for a wide range of Re.
- Preliminary, nonreactive results were analyzed using proper orthogonal decomposition of high-speed images to extract the dominant instability frequency of each flow condition.
- Future work will characterize the spectral behavior of reactive coaxial jets with regard to fuel type and injector geometry, and study the susceptibility of these flows to transverse acoustic forcing.

#### References

- 1. Richecoeur, F., "Experiments and numerical simulations of interactions between transverse acoustic modes and cryogenic flames," PhD thesis, Ecole Centrale Paris, November 2006.
- 2. Pierce, A. D., <u>Acoustics: An Introduction to Its Physical Principles and Applications</u>, 2<sup>nd</sup> Edition, 360-363, 1991.
- 3. Munson, B. R., Young, D. F., Okiishi, T. H., Fundamental Fluid Mechanics, 5th Edition, 2005.
- 4. Burattini, P. and Talamelli, A., "Acoustic control of a coaxial jet," J. of Turbulence, 8, 1-14, 2009.
- 5. Arienti, M. and Soteriou, M.C., "Time resolved proper orthogonal decomposition of liquid jet dynamics," *Phys of Fluids*, 21 112104, 2009.
- 6. Dimotakis, P. E. "Two-Dimensional Shear-Layer Entrainment," AIAA 24, 1791-1796, 1986.

- OH\* Chemiluminescence Imaging
  - Radiative de-excitation of hydroxyl radicals emits ultraviolet light at a wavelength of approximately 308 nm.

$$OH^* \longrightarrow OH + hv$$

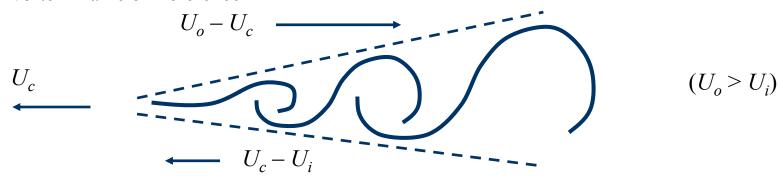


- Unwanted radiation from vibrational and rotational bands of H<sub>2</sub>O products are not recorded.
- Nitrogen purge removes condensation from window surfaces.

#### Experimental Techniques: Test Matrix

Convective Shear Layer Velocity by Dimotakis [AIAA, 1986]<sup>5</sup>

Vortex Frame of Reference



- Bernoulli's equation
  - A stagnation point must exist between vortices. Therefore, along a line through this point, dynamic pressures are approximately equal.

$$\rho_o(U_o - U_c)^2 \approx \rho_i (U_c - U_i)^2$$

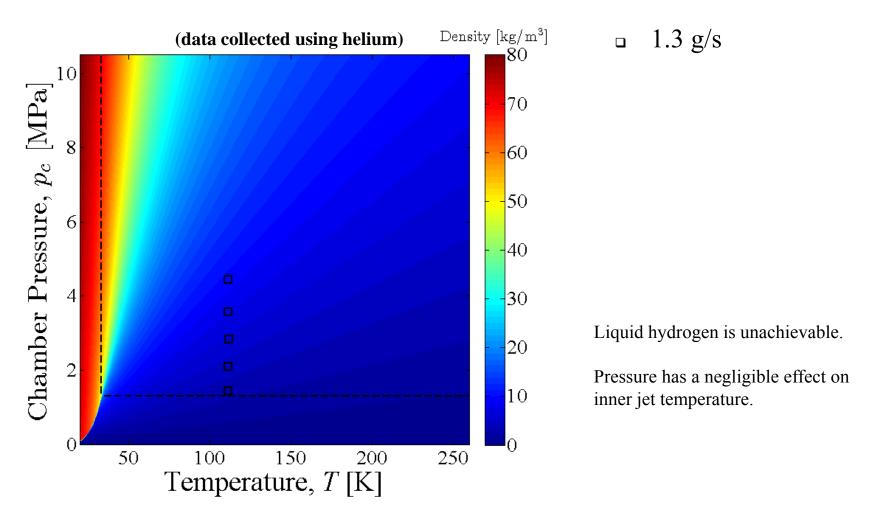
$$U_c = \frac{U_o \rho_o^{1/2} + U_i \rho_i^{1/2}}{\rho_o^{1/2} + \rho_i^{1/2}} \qquad St = \frac{f_{nat} D}{U_c}$$

If St, D,  $U_c$  are held constant then  $f_{\text{nat}}$  may be constant.

<sup>&</sup>lt;sup>5</sup> Dimotakis, P. E. 1986 "Two-Dimensional Shear-Layer Entrainment," AIAA J. 24, 1791-1796.

### Experimental Techniques: Heat Exchangers

Outer Jet Heat Exchanger



• Natural Jet Characterization: *St* scaling law produced by **theoretical** shear layer convection velocities

